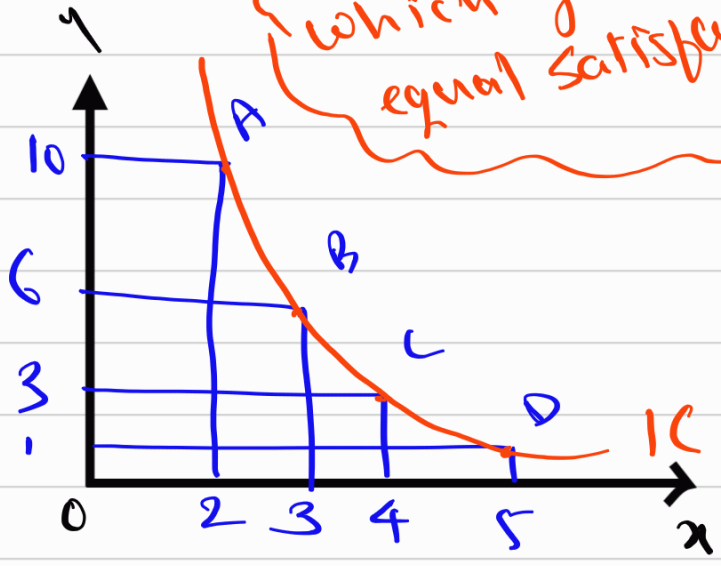


Indifference Curve

AKA Iso-utility curve
 ↓ Same ↓ satisfaction → curve

IC is a locus of diff combinations of 2 commodities which gives equal satisfaction.

Set	commodities	
	y	x
A	10	2
B	6	3
C	3	4
D	1	5



Properties of IC

- (i) IC is always downward sloping
- (ii) IC is always convex to origin, due to ↓ opp. cost / MRS.
- (iii) IC's can never intersect each other
- (iv) Higher the IC, represents higher level of satisfaction.
- (v) IC's can never touch either of axes.
 — it is against assumption of set of commo.

Cardinal utility

Ordinal utility

Possible

Cardinal measurement of utility

Not possible
Comparison is possible

One commodity

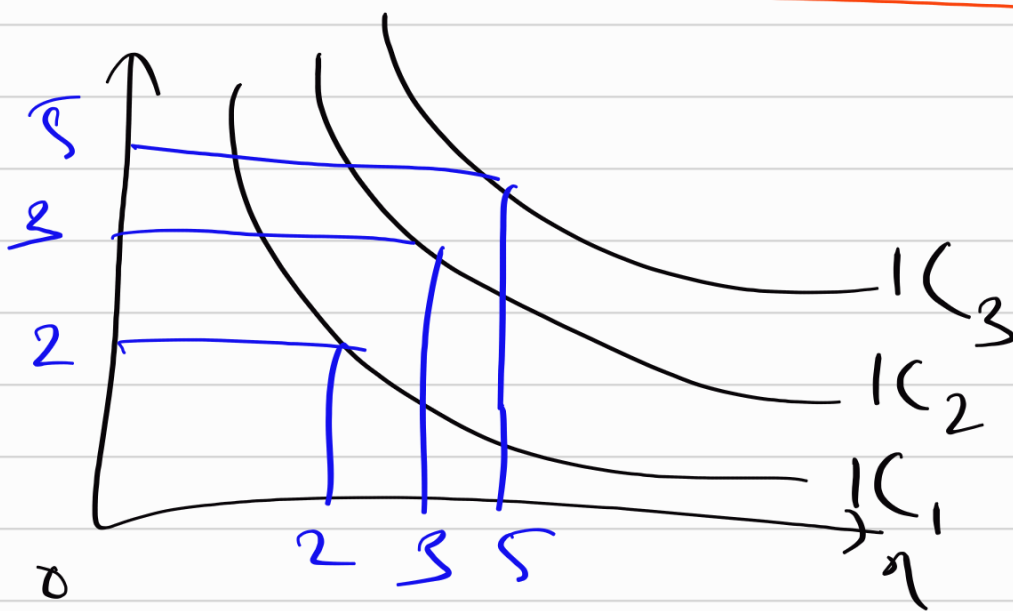
Maximum Satisfaction by

Set of commodities (at least 2)

Prof Marshall

Authors

Prof Allen & Prof Hicks



IC-map
Set of IC's

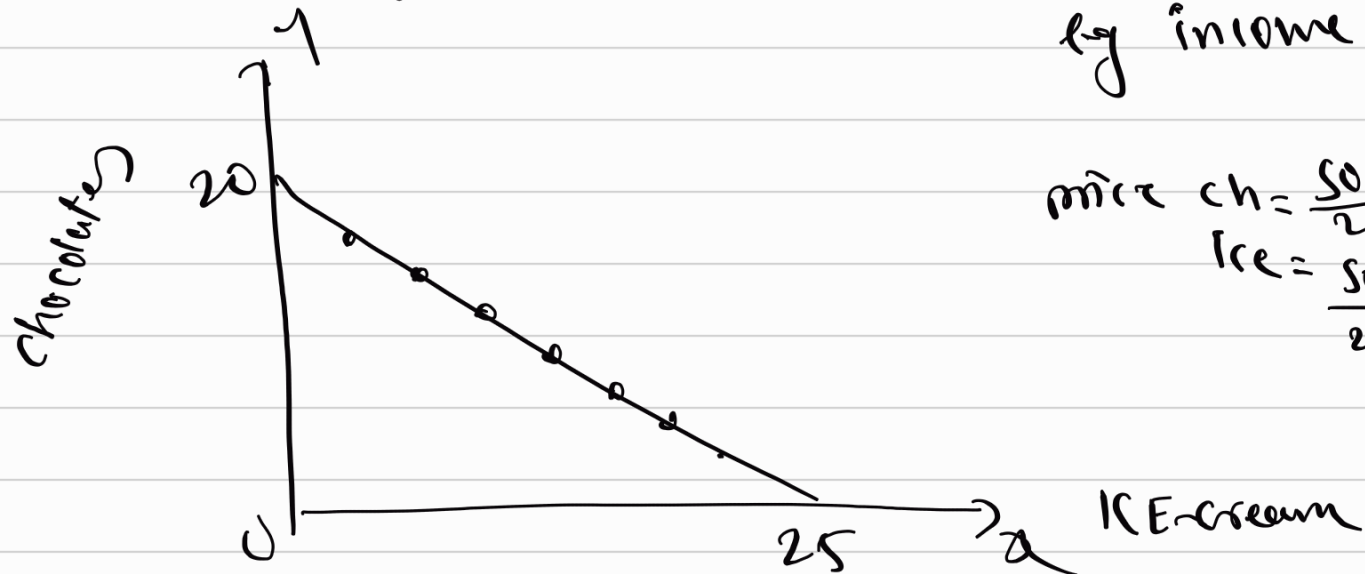
Budget-line = shows income of consumer.

AKA price-line.

eg income = 500

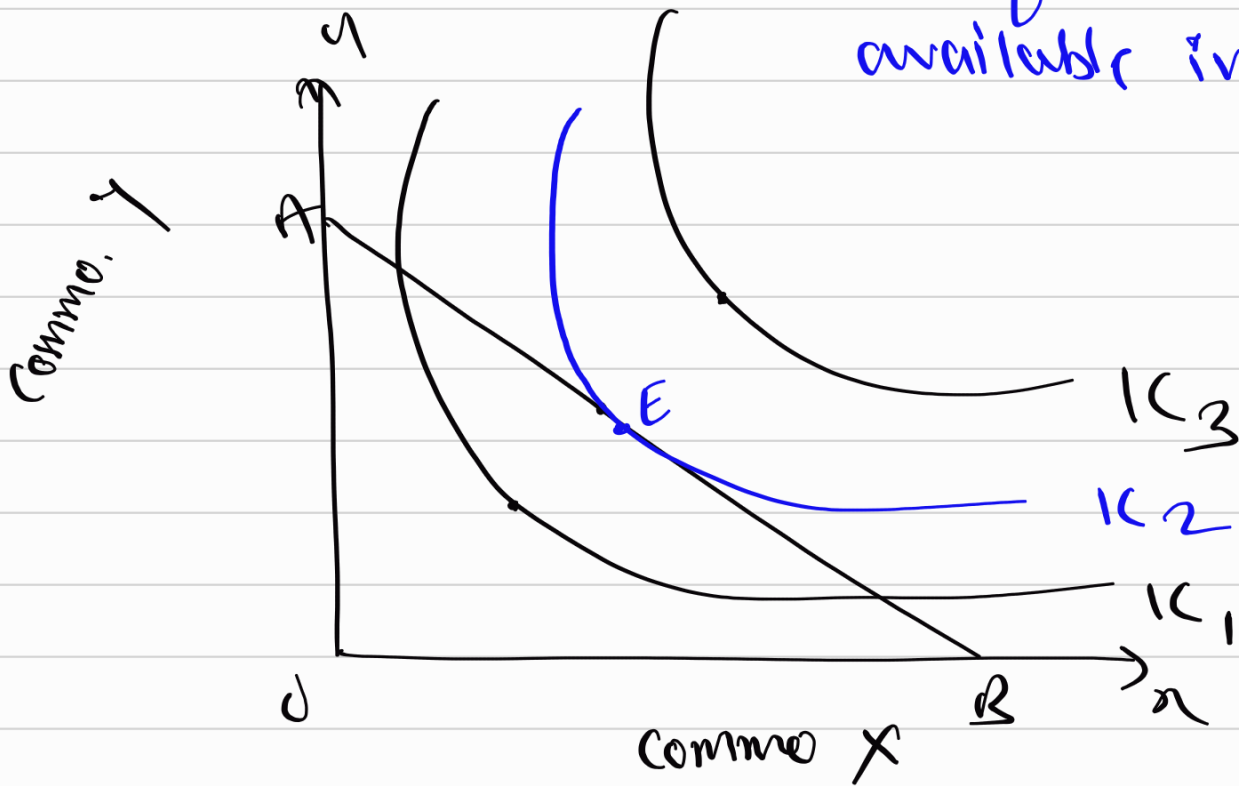
$$\text{price ch} = \frac{500}{20} = 25$$

$$\text{Ice} = \frac{500}{25} = 20$$



Consumer's Equilibrium

- where IC is tangent to budget line
- it shows maximum satisfaction with available income.



Consumer's Surplus

- It is a gap between what consumer is willing to pay & what he actually pays.

M Units	MU	Price	$1 \text{ MU} = \text{₹}1$	Cons. Surplus	
✓ 1	18	10	18	8	} 20 MU > P Intra Marg. Unit
2	16	10	16	6	
3	14	10	14	4	
4	12	10	12	2	
5	10	10	10	0	
6	8	10	8	-2	MU < P Extra Marg. Unit.



Consumer's



Utility

- Want satisfying power of commodity.

Features

- (i) Subjective concept = Differs from person to person
- (ii) Relative concept = (Time & place)
- (iii) Different from pleasure, usefulness & Satisfaction
- (iv) Cardinal measurement is not possible
- (v) it is a basis of Demand
- (vi) It multipurpose
- (vii) Depends upon intensity of want

Types of Utility

- (i) Form utility :- Utility increases due to change in form of commo.
- (ii) place utility :-
- (iii) Time utility
- (iv) Knowledge utility

(v) Possession utility :- Due to change in ownership.

(vi) Service utility

Concepts of utility

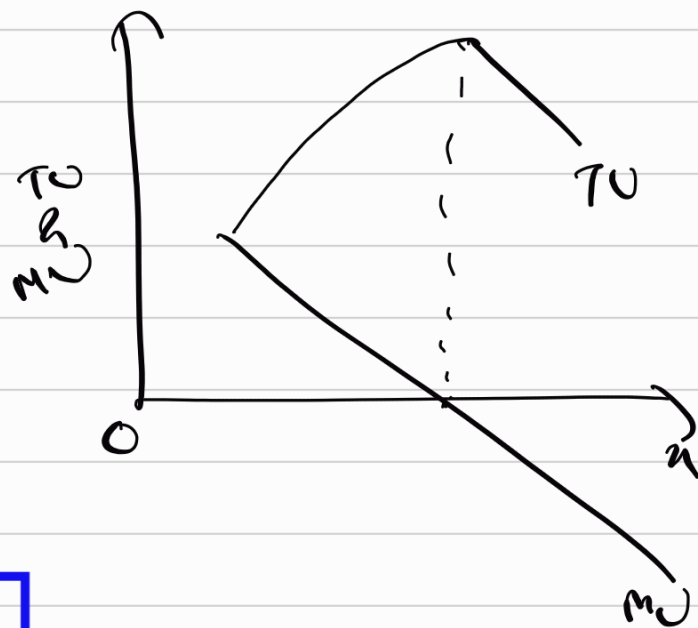
(i) Total utility :- Total satisfaction from all commodities

$$TU_n = MU_1 + MU_2 + \dots + MU_n \text{ or } \Sigma MU.$$

(ii) Marginal utility :- Additional satisfaction from additional commodity.

$$MU = TU_n - TU_{n-1}$$

unit	TU	MU
1	10	10
2	18	8
3	24	6
4	28	4
5	30	2
6	30	0
7	28	-2



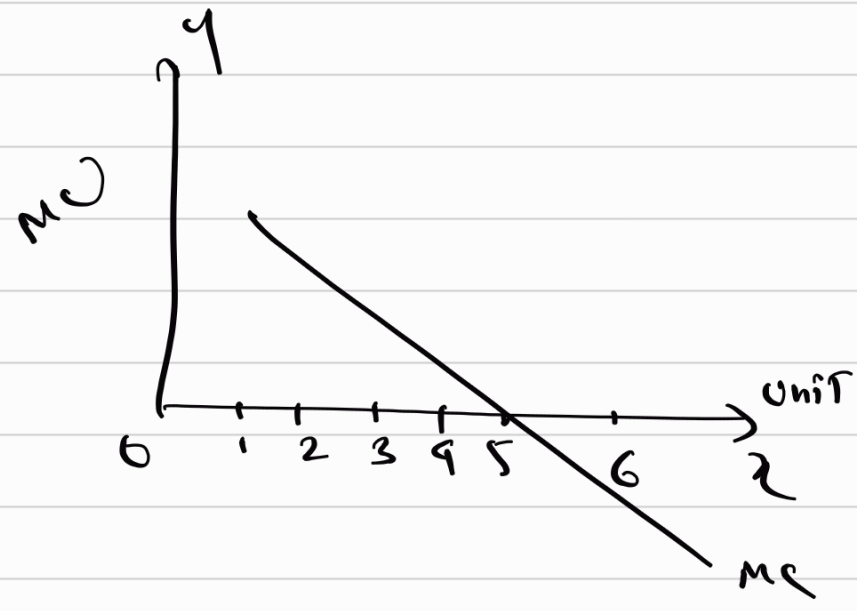
Law of DMU

Intro :- Prof Alfred Marshall, principles of Economics, 1890

Statement :- Other thing being constant,
 AS stock \uparrow , $MU \downarrow$

Unit	MU
✓ 1	8
✓ 2	6
✓ 3	4
✓ 4	2
✓ 5	0
✓ 6	-2

Point of
 Satiation



Assumption :-

- (i) Cardinal Measurement is possible
- (ii) Homogeneity
- (iii) Continuity
- (iv) Reasonable standard
- (v) Rationality.
- (vi) Single want
- (vii) Divisibility
- (viii) Constant
 - price
 - income
 - Taste & preference

Exceptions

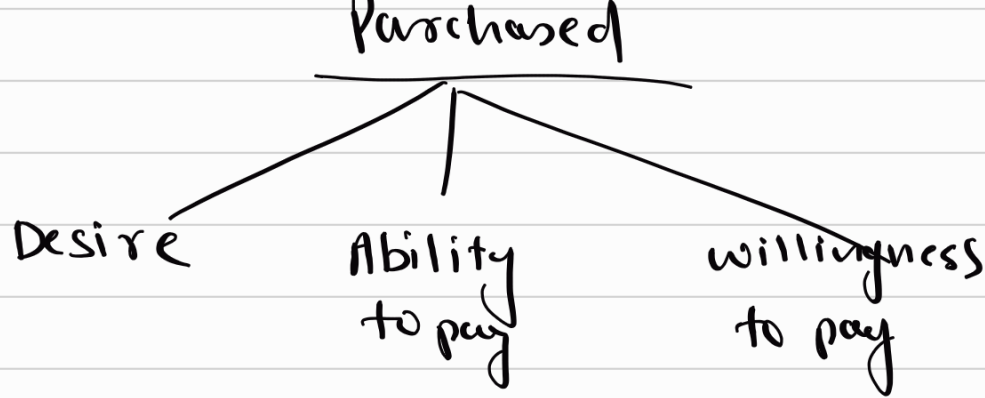
- (i) Hobbies
- (ii) Addictions
- (iii) Mises
- (iv) Powers
- (v) Money



Not Real Exceptions

AS **Hobbies** violates assumption
 of **Homogeneity & Continuity**
point ii, iii & iv violates **Rationality**
money violates **single want**

Demand



Definition :- Demand is "Quantity of goods purchased at certain price, per unit of Time."

Types of Demand :-

- (i) Individual Demand
- (ii) Market Demand
- (iii) Direct Demand
- (iv) Indirect / Derived — 11 —
- (v) Composite — multiple wants
- (vi) Complementary — Joint Demand
- (vii) Competitive — substitutes

Law of Demand

Intro :- By prof Marshall, principles of Economics, 1890

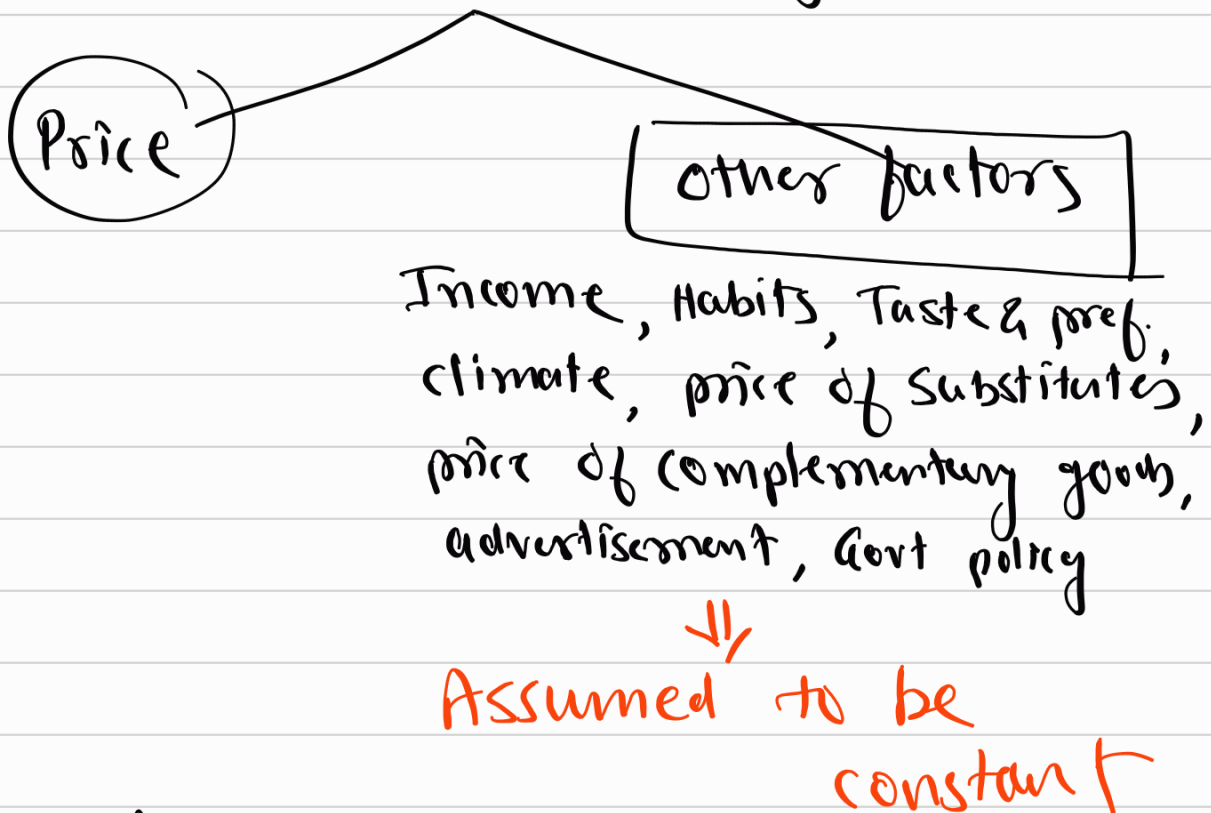
Statement :- Other things being constant
There is an inverse relation
between price & Demand

Price Demand $\uparrow \searrow$

10	50
20	40
30	30
40	20
50	10



Demand (e.g. 2000 units per month)
 Gets affected by



Assumptions :-

- (i) No change in income
 - (ii) climate
 - (iii) price of substitutes
- & so on.

Exceptions :-

(i) Prestige Goods :-

AKA Snob good, Veblin goods, conspicuous goods

$P \uparrow =$ snob appeal $\uparrow =$ Rich people Demand \uparrow
 $P \downarrow =$ Demand \downarrow

(ii) Demonstration effect :-

(iii) Giffen goods

- by prof Robert giffen
- inferior goods

- Bread (inf. good) & Meat (Sup Good)

Real income (Purchasing power)

£100 = 10 Breads.
20 Breads.

4 loaves
£20

Bread price
£10
£5

Meat
60

80

(iv) Speculation = expecting future price

e.g gold = 14m
5000 \uparrow Demand
5500 \uparrow

- Now price \uparrow & people are expecting further \uparrow in price in future

(v) Habitual goods :-

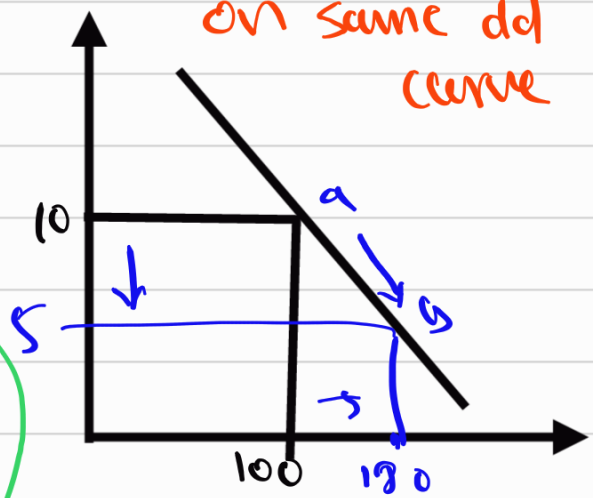
(vi) ignorance !:

U
A
R
-
A
T
-
N
O
-
N
D
D

Expansion in Demand

Demand ↑ = Price ↓ = OF°

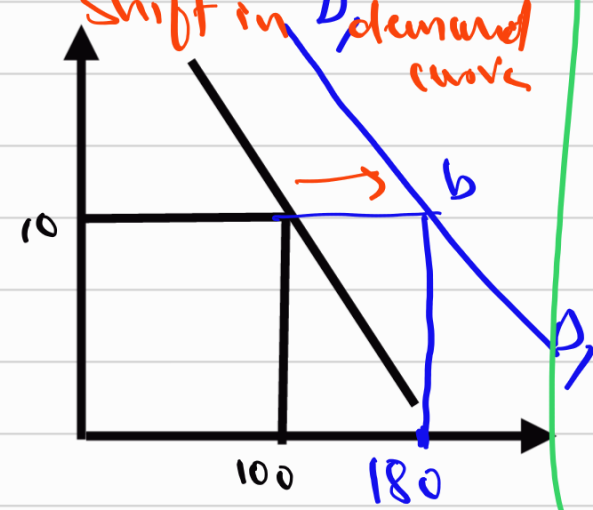
Downward Movement on same dd curve



Increase in Demand

Demand ↑ = other factor = price°

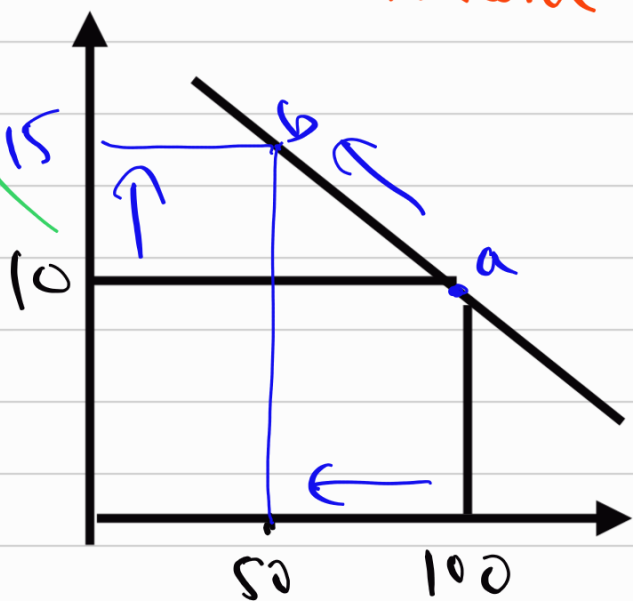
Outward / Rightward Shift in Demand curve



Contraction in Demand

Demand ↓ = Price ↑ = OF°

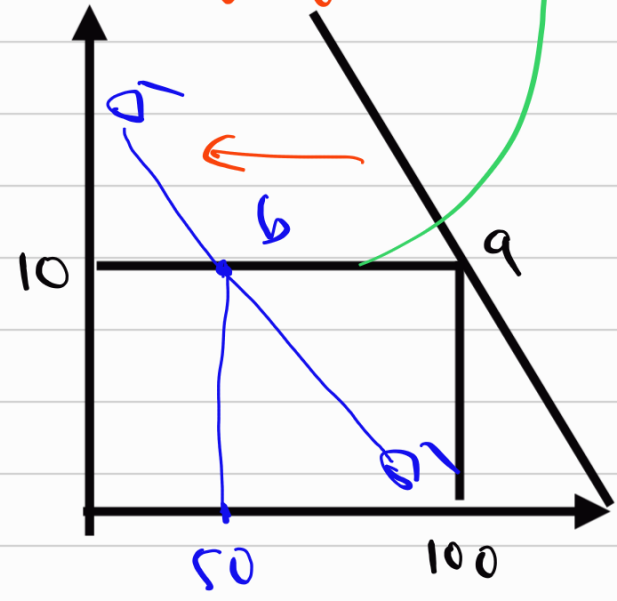
Upward Movement on same dd curve



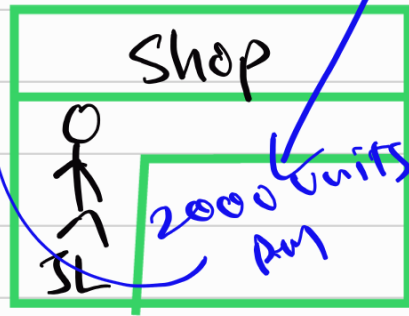
Decrease in Demand

Demand ↓ = OF = p°

Inward / Leftward Shift of dd curve



Ready to sell
↓
Supply.



Change in DD,
Stock

Market

SP = 180 ✓

Supply = 2000 units
PM

$$TC = ₹ 800,000$$
$$Q = 8000 = 100$$

$$\text{Cost p.u (AC)} = 100$$

$$\text{Min. profit} = 40$$

$$\text{Min SP} = 140$$

Reservation price

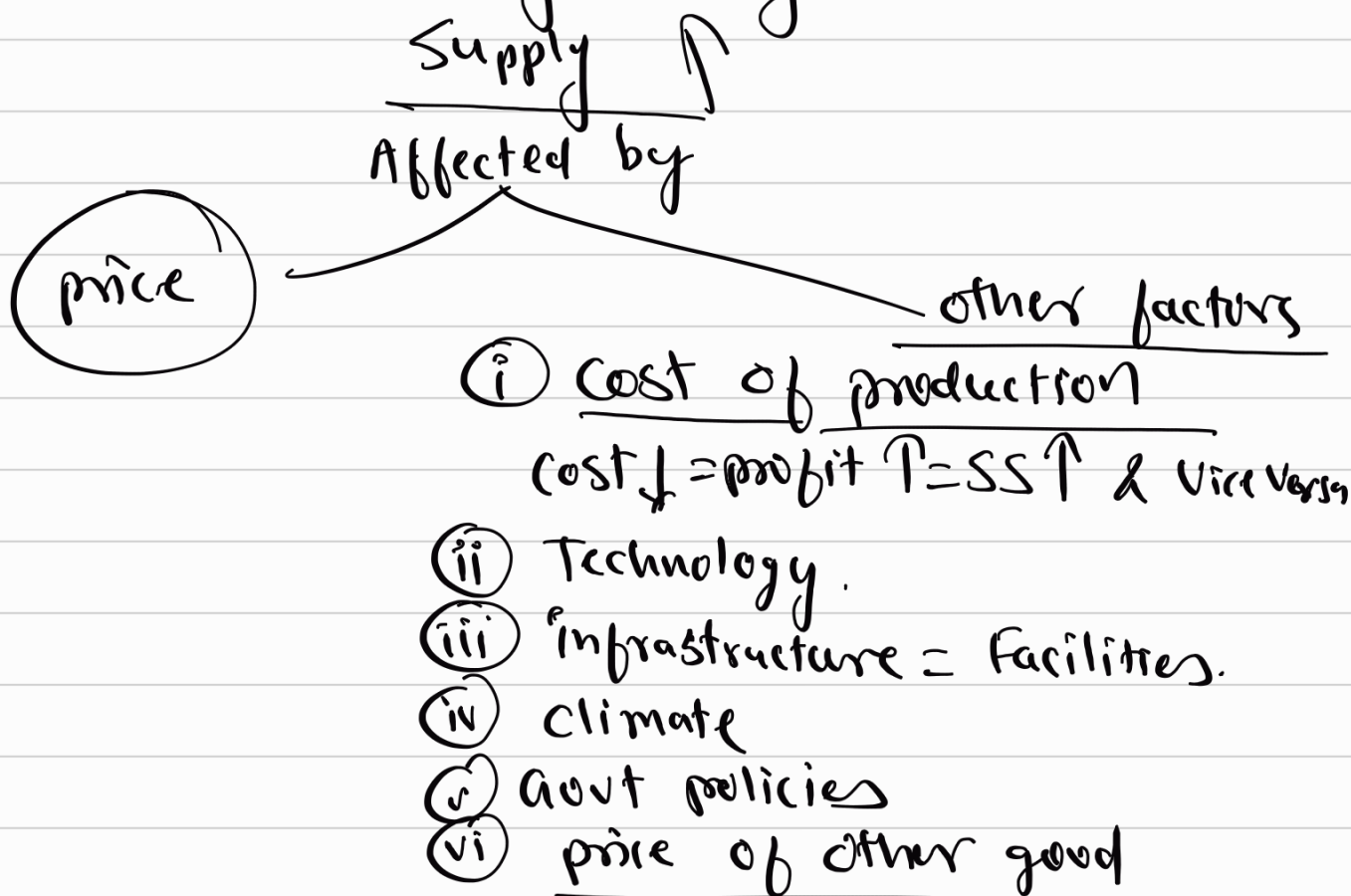
Important concepts :-

(i) Stock = Quantity of goods available with seller at given point of time

(ii) Reservation price = Min. selling price, below which seller refuse to sell.

(iii) Supply :- Quantity of goods, which seller is ready to sell (Able & willing to sell) at certain price, per unit of time.

Factors affecting Supply



	X Good concern	Y other good
P ₁	100	100
P ₂	100	140
SS	SS \downarrow	SS \uparrow

(vi) Speculation

Law of Supply

Intro = Prof Alfred Marshall, Principles of ECO, 1890

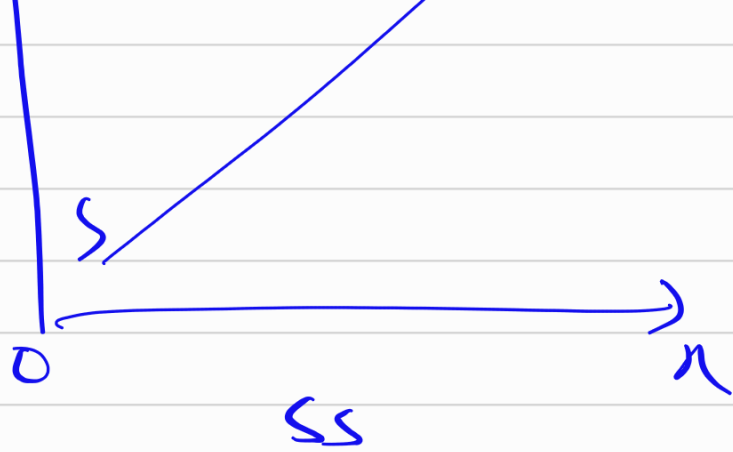
Statement = other things being equal,
There is direct relationship between
price & Supply.

Price Supply



10	20
20	40
30	60
40	80
50	100

Output



ASSumption = All other factors are assumed to be constant

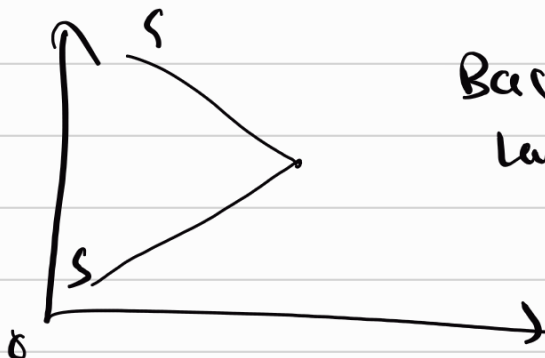
Cost = 100	100
Profit = 100	10
SP = 140	150 ↑
SS = 2000 units	SS ↑

Exceptions :-

(i) Labour Supply :-

initially wages ↑ = Labour Supply ↑

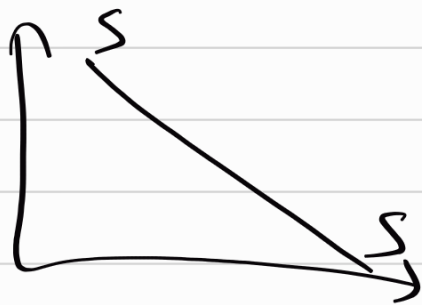
Beyond certain wages ↑ = Lab Supply ↓ = Leisure ↑



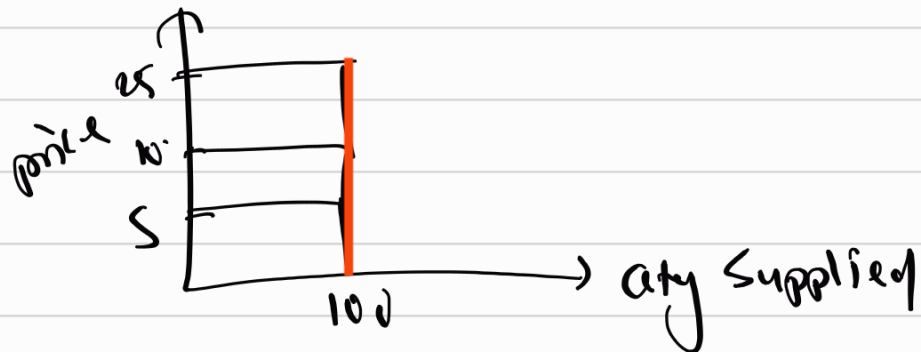
Backward bending
lab supply curve

(ii) Urgency for cash

e.g. £10000
 price SS
 ↑ 10 1000 ↓
 20 500



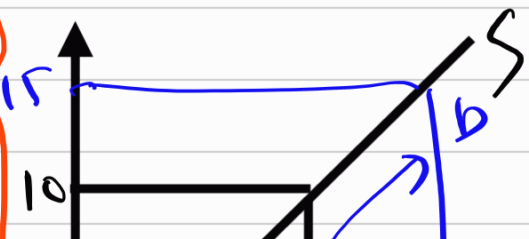
- iii) Rare Article :- e.g. Antiques, vintage car
- iv) Agricultural goods = SS depends upon climate
- v) perishable goods :- e.g. flowers.
Stock = 100 units



vi) Speculation :-
 Price ↓ from 1000 to 900
 but seller expects further ↓ in future = SS ↑

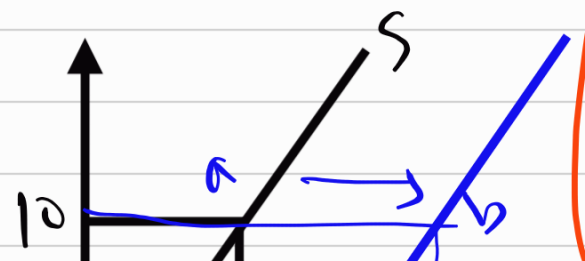
Expansion in Supply

Supply ↑ = price ↑
 other factors °
 upward movement
 on same supply curve



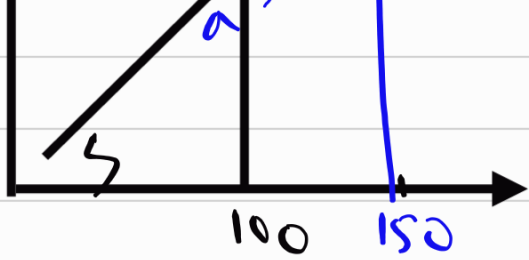
Increase in Supply

Supply ↑ = other factors
 price °
 outward/rightward
 shift of SS curve



V
A
R
I
A
B
L
E

C
O
N
S
T
A
N
T



Contraction in Supply

Supply ↓ = price ↓
other factors°

Downward movement on same S curve



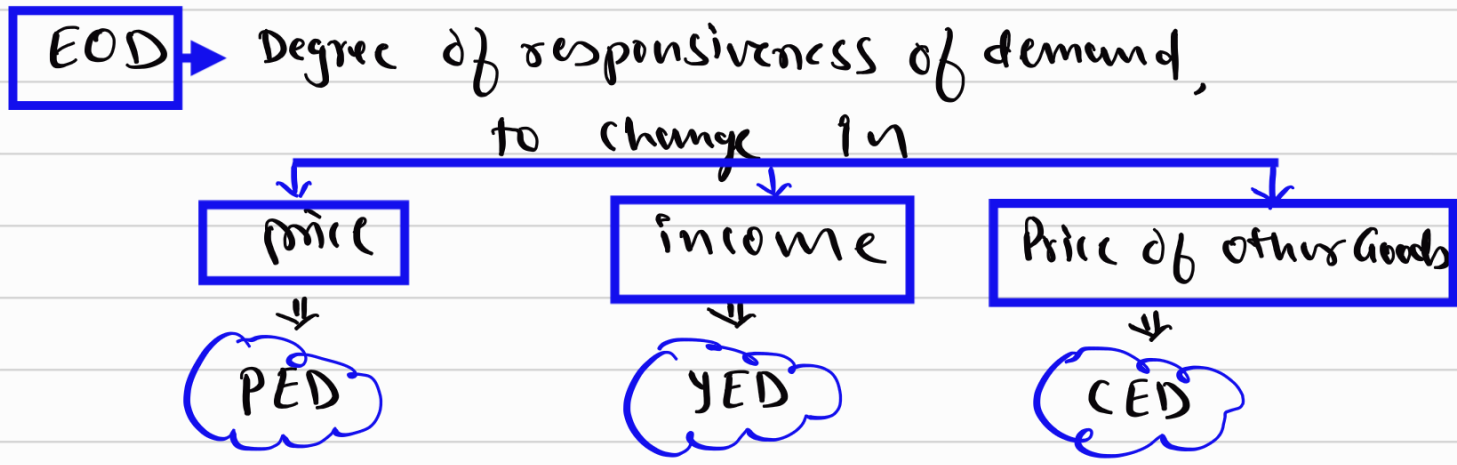
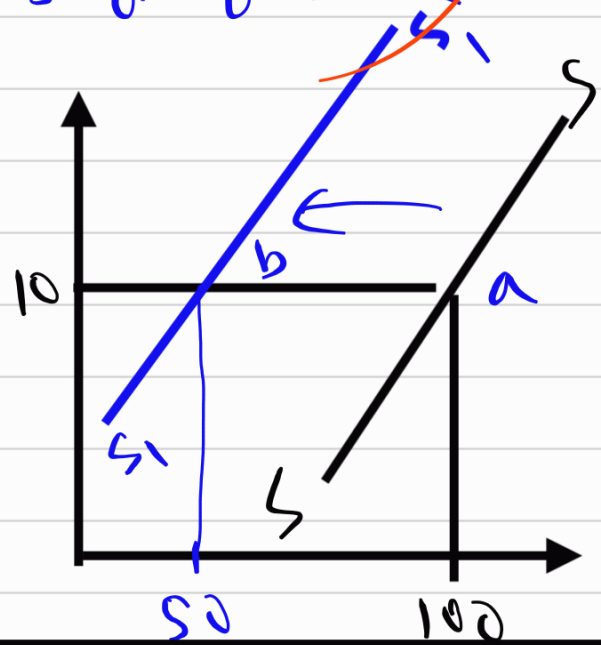
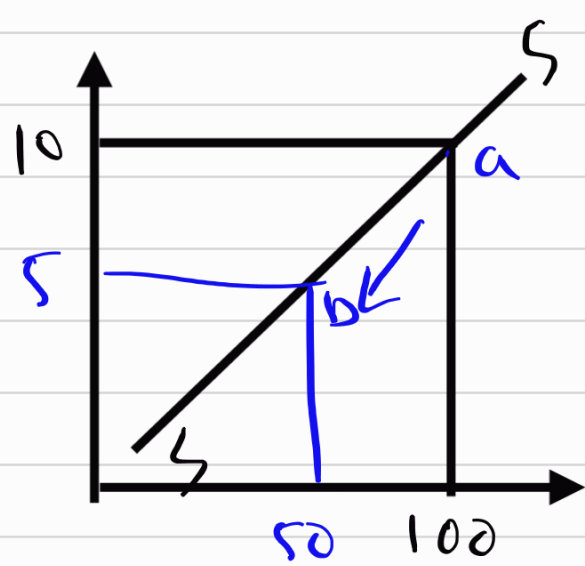
Decrease in Supply

Supply ↓ = other factors = price°

Inward / Leftward shift of S curve

IN SS

IN SE



Types of Price elasticity of Demand

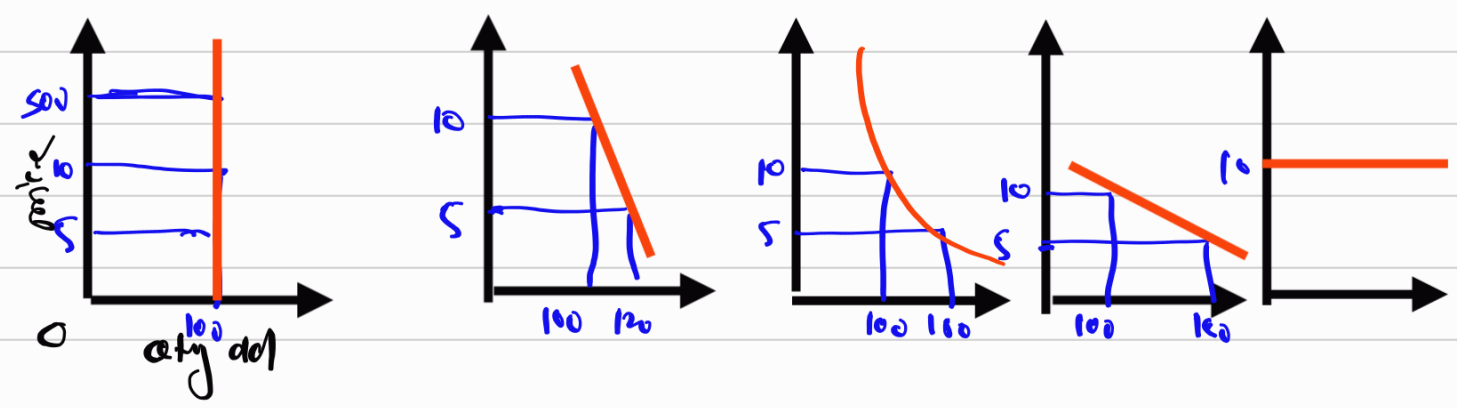
Degree of responsiveness of Demand to change in price.

	Perfectly inelastic	Relatively inelastic	Unitary elastic	Relatively elastic	Perfectly elastic
$P_1 = 10$ $P_2 = 5$ ↓ (50%)	$Q_1 = 100$ $Q_2 = 100$ (0%)	$Q_1 = 100$ $Q_2 = 120$ (20%)	$Q_1 = 100$ $Q_2 = 150$ (50%)	$Q_1 = 100$ $Q_2 = 180$ (80%)	$P_1 = 10, Q_1 = 100$ $P_2 = 10, Q_2 = \infty$ or 995 (∞)
	Salt $\Delta Q = 0, \Delta P = \text{Any}$	Necessary $\Delta Q < \Delta P$	Comfort $\Delta Q = \Delta P$	Luxury. $\Delta Q > \Delta P$	Unreal $\Delta Q = \infty, \Delta P = 0$ or slight

$PED = \frac{\% \Delta Q}{\% \Delta P} = \frac{0\%}{50\%} = 0$
 $= \frac{20\%}{50\%} = 0.4$
 $= \frac{50\%}{50\%} = 1$
 $= \frac{80\%}{50\%} = 1.6$
 $= \frac{\infty}{0} = \infty$

$e = 0$
 $e < 1$
 $e = 1$
 $e > 1$
 $e = \infty$

Vertical Steeper Rectangular Hyperbola Flatter Horizontal



$\frac{\Delta Q}{\Delta P}$ Demand $\frac{\Delta P}{\Delta Q}$ Supply

Types of Price elasticity of Supply

Degree of responsiveness of Supply to change in price.

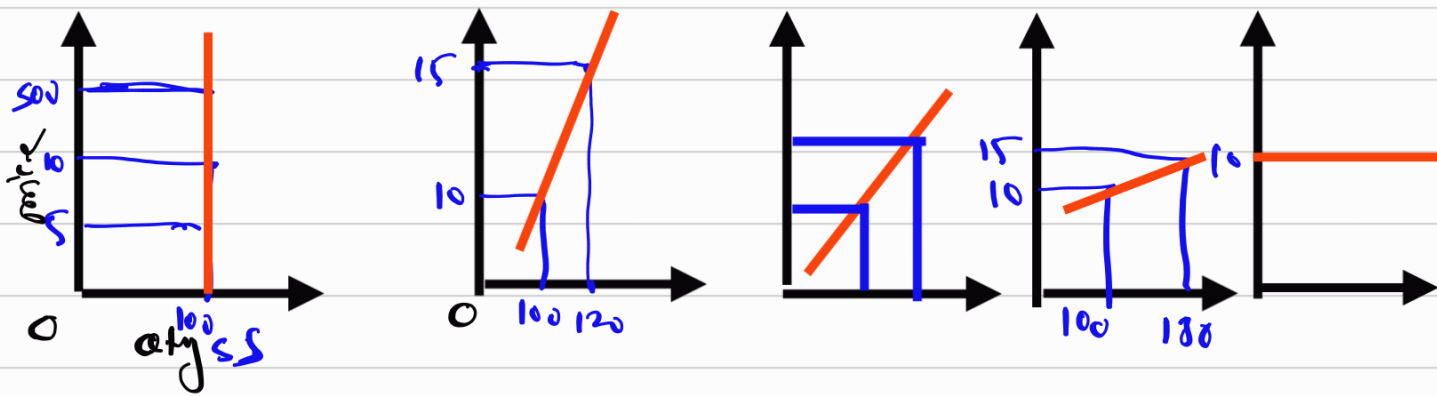
	Perfectly inelastic	Relatively inelastic	Unitary elastic	Relatively elastic	Perfectly elastic
$P_1 = 10$ $P_2 = 15$ ↑ (50%)	$Q_1 = 100$ $Q_2 = 100$ (0%)	$Q_1 = 100$ $Q_2 = 120$ (20%)	$Q_1 = 100$ $Q_2 = 150$ (50%)	$Q_1 = 100$ $Q_2 = 180$ (80%)	$P_1 = 10, Q_1 = 100$ $P_2 = 10, Q_2 = \infty$ or 995 (∞)
	Salt	Necessary	Comfort	Luxury.	Unreal

$\Delta QS = 0, \Delta P = \text{Any}$ $\Delta QS < \Delta P$ $\Delta QS = \Delta P$ $\Delta QS > \Delta P$ $\Delta QS = \infty, \Delta P = 0$
or slight

$$PEs = \frac{\% \Delta QS}{\% \Delta P} = \frac{0\%}{50\%} = 0 \quad = \frac{20\%}{50\%} = 0.4 \quad = \frac{50\%}{50\%} = 1 \quad = \frac{80\%}{50\%} = 1.6 \quad = \frac{\infty}{0} = \infty$$

$e = 0$ $e < 1$ $e = 1$ $e > 1$ $e = \infty$

Vertical Steeper Rectangular Hyperbola Flatter Horizontal



$\frac{\% \Delta Q}{\% \Delta I}$ Price $\frac{\% \Delta Q}{\% \Delta I}$ Income

Types of Income elasticity of Demand

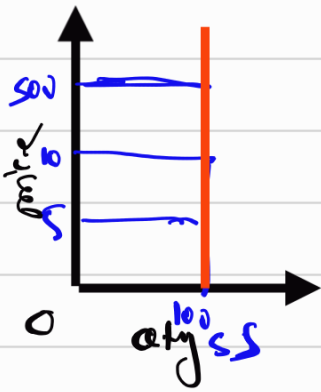
Degree of responsiveness of Demand to change in Income

	Zero YED	Rel Income Inelastic	Unitary Income elastic	Rel Income elastic	Negative YED
$Y_1 = 10 \uparrow$ $Y_2 = 15$ (50%)	$Q_1 = 100$ $Q_2 = 100$ (0%)	$Q_1 = 100$ $Q_2 = 120$ (20%)	$Q_1 = 100$ $Q_2 = 150$ (50%)	$Q_1 = 100$ $Q_2 = 180$ (80%)	$Q_1 = 100$ $Q_2 = 80$ (-20%)
	Salt	Necessary	Comfort	Luxury	Inferior
	$\Delta Q = 0, \Delta Y = \text{Any}$	$\Delta Q < \Delta Y$	$\Delta Q = \Delta Y$	$\Delta Q > \Delta Y$	$Y \uparrow, Q \downarrow$

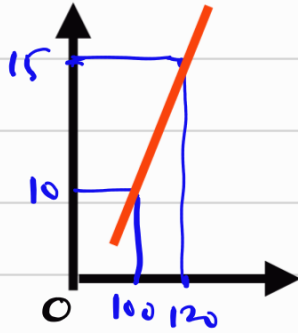
$$YED = \frac{\% \Delta Q}{\% \Delta Y} = \frac{0\%}{50\%} = 0 \quad = \frac{20\%}{50\%} = 0.4 \quad = \frac{50\%}{50\%} = 1 \quad = \frac{80\%}{50\%} = 1.6 \quad = \frac{-20\%}{50\%}$$

$e = 0$ $e < 1$ $e = 1$ $e > 1$ $e = -ve$

Vertical



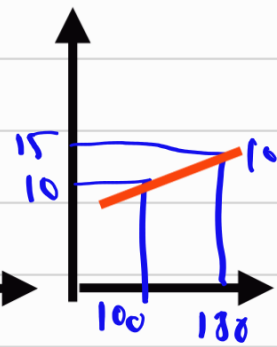
Steeper



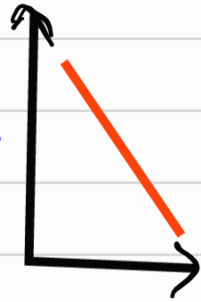
Rectangular Hyperbola



Flatter

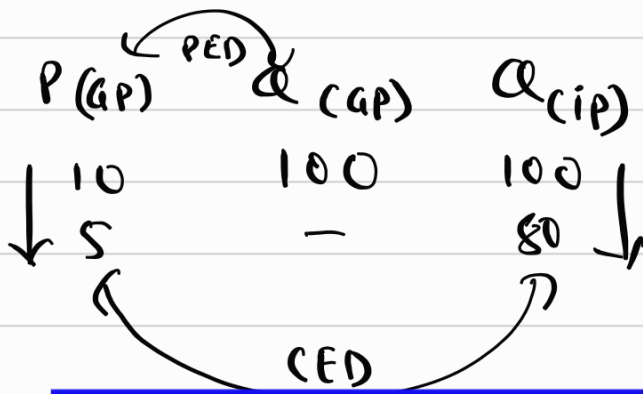


-ve slope



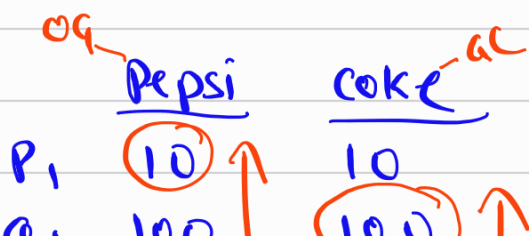
Cross elasticity of Demand

Degree of responsiveness of demand to change in price of other goods.

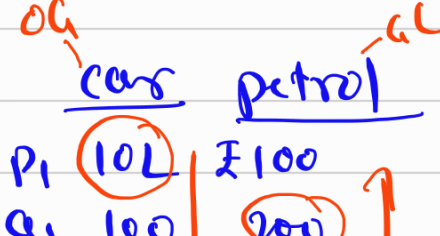


$$CED = \frac{\% \Delta Q \text{ Good concern}}{\% \Delta P \text{ other good}}$$

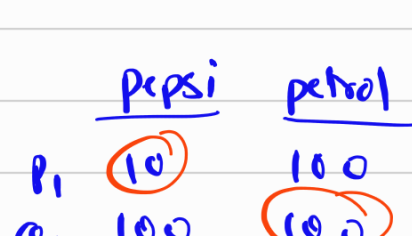
Positive CED



Negative CED



Zero CED



Q_1	100	100	Q_1	100	100	Q_1	100	100
P_2	12	10	P_2	8L	£100	P_2	2	100
Q_2	-	140	Q_2	-	280	Q_2	-	100

$$CED = \frac{40\%}{20\%} = 2$$

$$CED = \frac{40\%}{-20\%} = -2$$

$$CED = \frac{0\%}{\quad} = 0$$

e.g. Substitutes

e.g. Complementary

e.g. Unrelated goods

Methods of Calculating PED

(i) % method

- AKA Proportionate method & Ratio method

- intro by Prof Alfred Marshall.

$$PED = \frac{\% \Delta Q}{\% \Delta P}$$

$$PED = \frac{\frac{Q_1 - Q_2}{Q_1} \times 100}{\frac{P_1 - P_2}{P_1} \times 100}$$

$$PED = \frac{Q_1 - Q_2}{Q_1} \times \frac{P_1}{P_1 - P_2}$$

e.g. $P_1 = 90$ $Q_1 = 180$
 $P_2 = 240$ $Q_2 = 60$

Ped!

$$PED = \frac{120^4}{180} \times \frac{90}{120} = \frac{4}{1} = 0.4$$

Since $e < 1$ it is inelastic dd.

ii) Arc Method

$$PED = \frac{Q_1 - Q_2}{Q_1 + Q_2} \times \frac{P_1 + P_2}{P_1 - P_2}$$

$$PED = \frac{120}{240} \times \frac{330}{150} = \frac{33}{30} = 1.1$$

iii) Total Expenditure method

AKA Total Outlay method
& Total Revenue method

$$\left. \begin{aligned} - TE &= \text{Price} \times \text{Qty purchased} \\ - TR &= \text{Price} \times \text{Qty sold} \end{aligned} \right\} TO = P \times Q$$

— intro by Prof Marshall.

Price	Demand	TO	Relation		
10 ↑	60	600 ↑	Direct	Inelastic PED < 1	e.g petrol P ↓ Q ↑ TO ↑ 60 30 1800 ↑
20 ↑	50	1000 ↑			100 25 2500 ↑
30 ↑	40	1200	No Δ in T.O.	Unitary PED = 1	e.g necessary P ↑ Q ↓ TO ↑ 60 30 1800
40 ↑	30	1200			100 18 1800

50	↑	20	1000	↓	inverse	Elastic	↑	60	30	1800
60	↑	10	600	↓	relation	PED > 1	↑	100	10	1000
										eg luxury.

Q1 No matter what the price is;
 Arjun always spends ₹ 50 on coffee.
 old box coffee is _____

ΔP , lead No change in $\left\{ \begin{array}{l} \text{Qty} = \text{Perf. inelastic} \\ \text{Revenue exp} = \text{Unitary elastic} \end{array} \right.$

Q2 Theatre manager wants to ↑ movie ticket
 & he is expecting ↑ TR; Acc. to him
 demand for movie ticket is inelastic

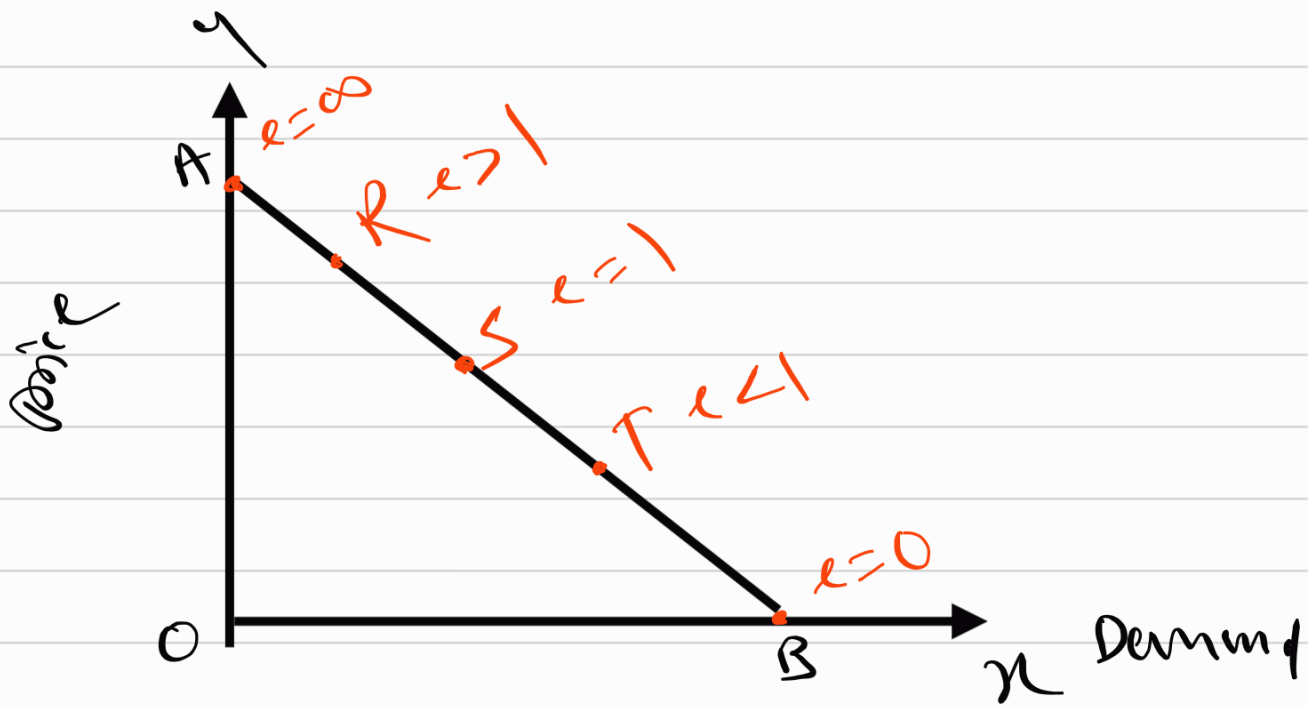
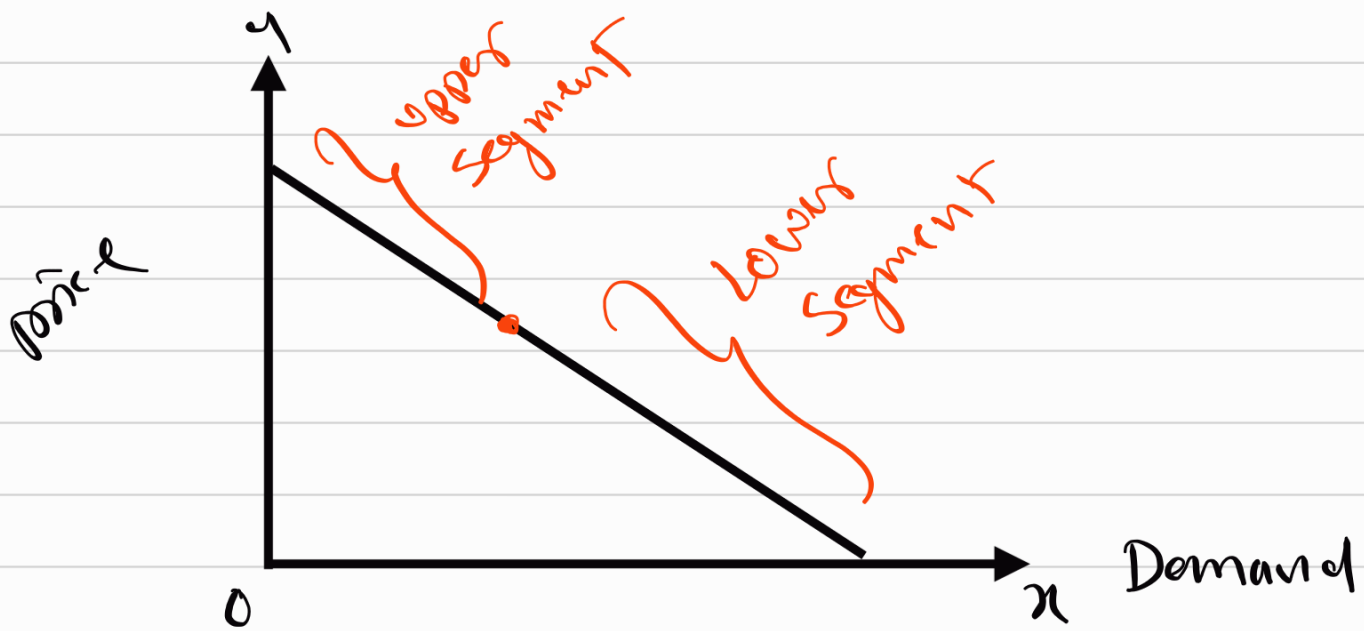
✓ (a) inelastic (b) elastic (c) unit elastic

Q3 Expert advised company to ↓ price, to ↑ TR
 Acc. to him old for co's prod is elastic

(iv) Geometric Method
 AKA Point method.

- intro Prof Marshall

$$- \text{PED} = \frac{\text{Lower Segment}}{\text{Upper Segment}}$$



A

S $\frac{SB}{SA}$ $SB = SA$ $\therefore e = 1$ unitary elastic

T $\frac{TB}{TA}$ $TB < TA$ $e < 1$ inelastic

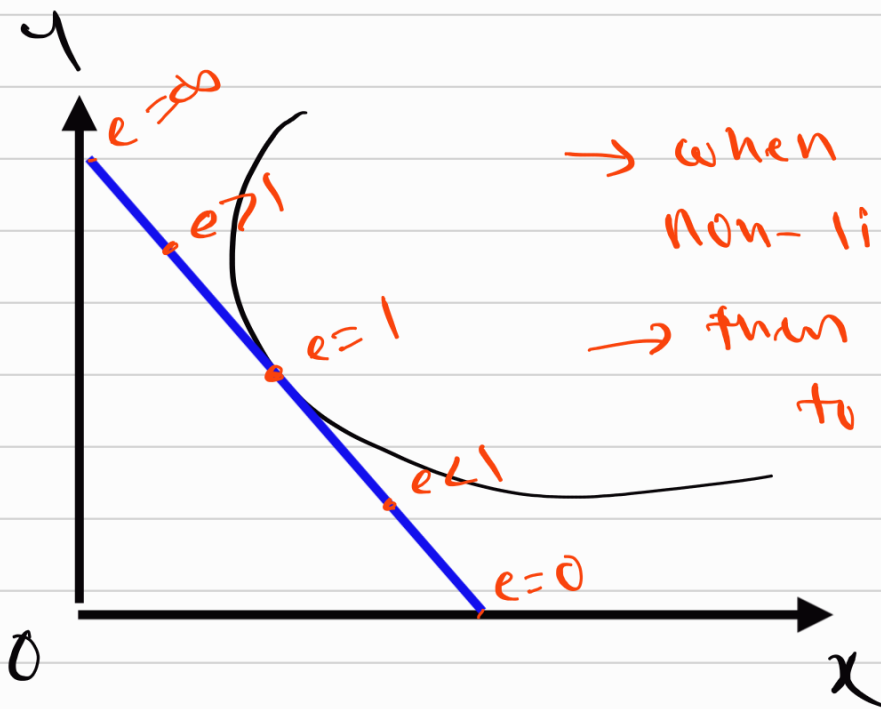
R $\frac{RB}{RA}$ $RB > RA$ $e > 1$ elastic

A $\frac{AB}{0}$ $e = \infty$ perf elastic

$$B \quad \frac{0}{AB}$$

$$e=0$$

Perf Inelastic



→ when dd curve is non-linear

→ then draw tangent to get PED

(V)

Point Method

— when change in dd is Negligible

PED

$$e_d = -\frac{dq}{dp} \times \frac{p}{q}$$

$$Q_1 = 10 \quad P_1 = 6$$

$$Q_2 = 15 \quad P_2 = 4$$

$$e_d = \frac{-\Delta Q}{\Delta P} \times \frac{P_1}{Q_1}$$

$$= \frac{-5}{2} \times \frac{6}{10}$$

$$= \frac{-3}{2} = -1.5$$

PES

$$e_s = \frac{dq}{dp} \times \frac{p}{q}$$

$$Q = -100 + 10P \quad \text{where } P=15$$

$$PES = 9$$

(i) $Q = -100 + 10(15) = 50$

(ii) $\frac{dq}{dp} = -100 + 10P'$

$$= 0 + 10 \times 1 = 10$$

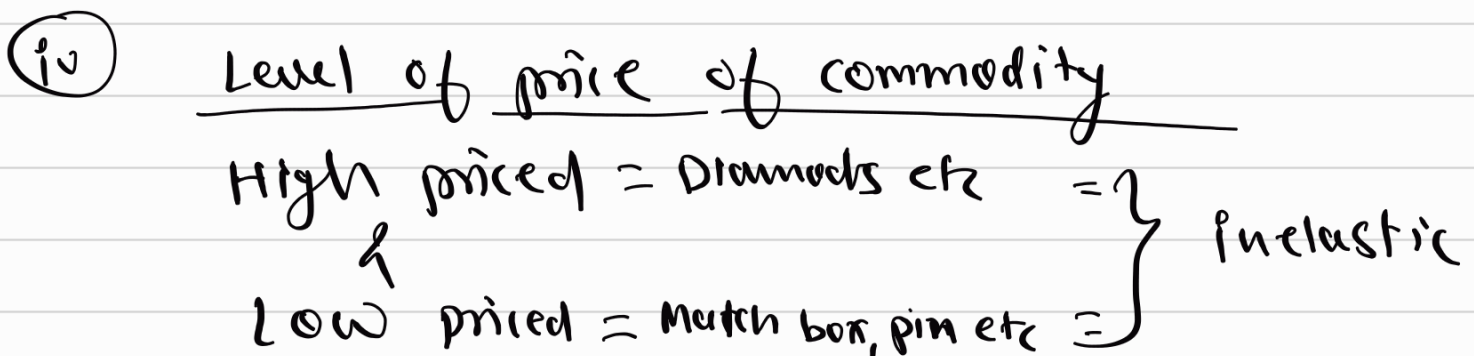
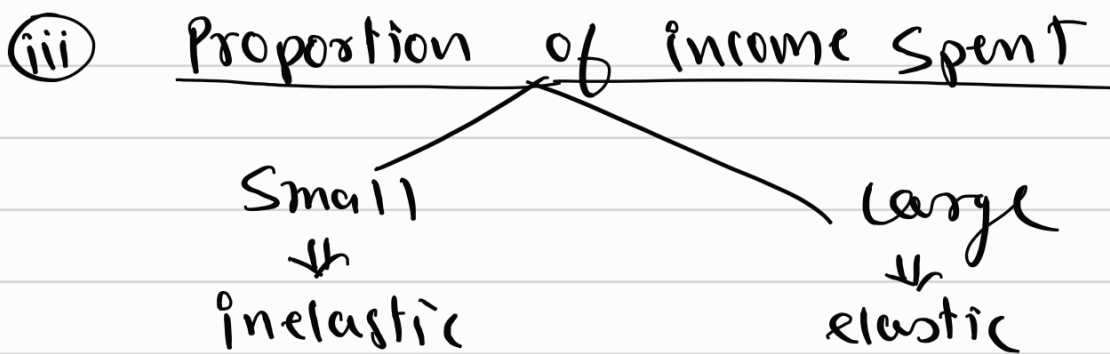
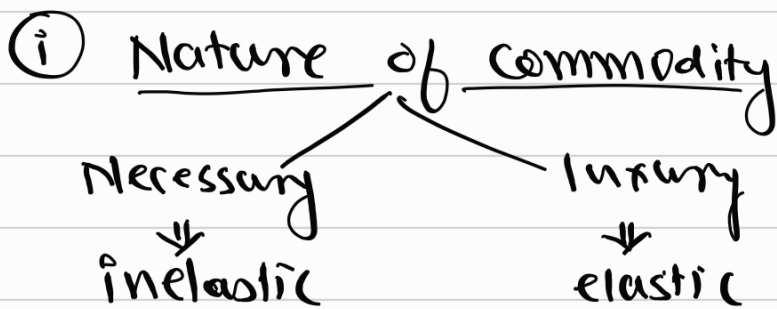
(iii) $E_s = \frac{dq}{dp} \times \frac{p}{q}$

$$= 10 \times \frac{15}{50}$$

$$= \frac{150}{50} = 3$$

Determinants of PED (Factors affecting PED)

if $\Delta Q = \text{more} = \text{Elastic}$
 $\Delta Q = \text{less} = \text{inelastic}$



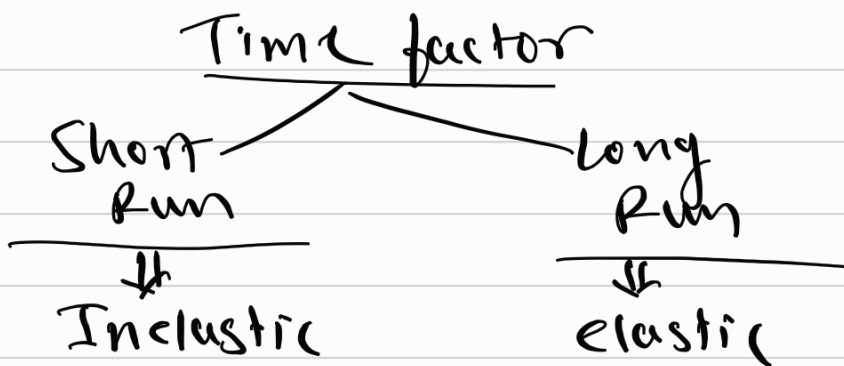
No/Few
inelastic

many
elastic

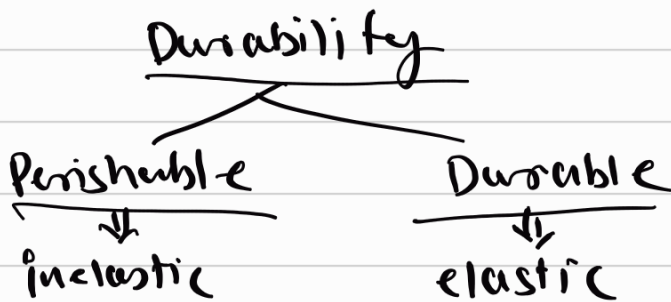
(vi) Complementary goods = inelastic

(vii) Habit/Customs = Inelastic

(viii)



(ix)



(x) Urgently required = inelastic

(xi)



Methods of calculating PES

(i) % method = $PES = \frac{\% \Delta QS}{\% \Delta P}$ or $\frac{Q_1 - Q_2}{Q_1} \times \frac{P_1}{P_1 - P_2}$

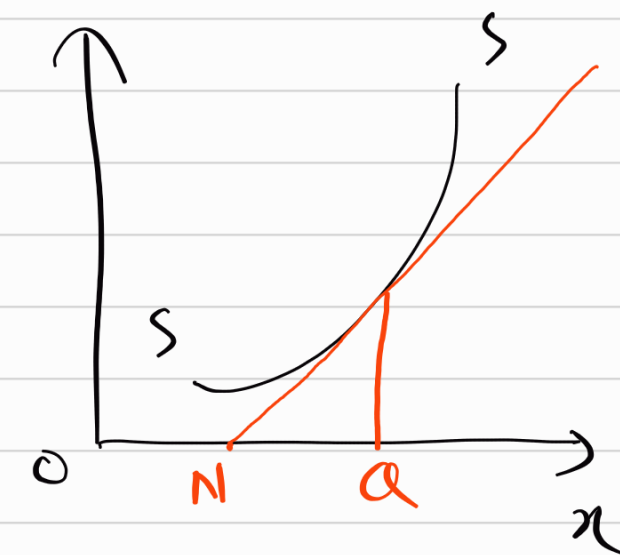
(ii) Arc method - $PES = \frac{Q_1 - Q_2}{P_1 + P_2} \times \dots$

$$PES = \frac{Q_2 - Q_1}{P_2 - P_1}$$

- (iii) Total revenue method
- (iv) Point method
- (v) Geometric method

Tangent curve intercept on x axis to perpendicular point

$$PES = \frac{\text{Qty Supplied}}{\text{Perpendicular point}}$$

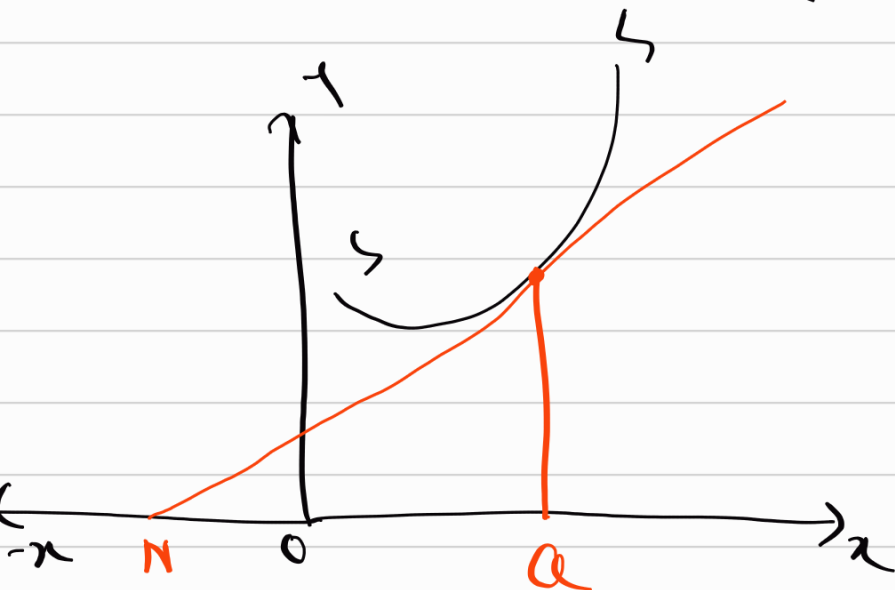


$$PES = \frac{NQ}{OQ}$$

$$NQ < OQ$$

$$PES < 1$$

∴ inelastic supply.

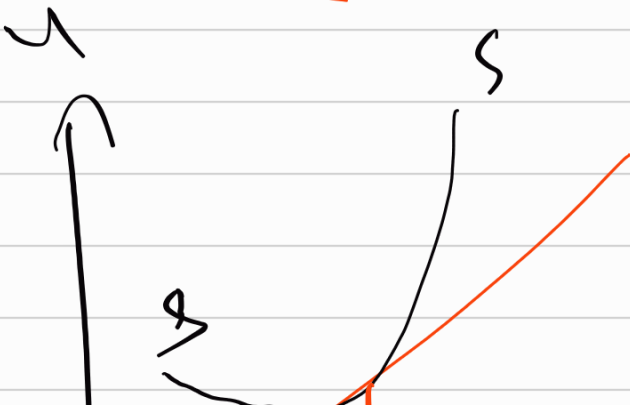


$$PES = \frac{NQ}{OQ}$$

$$NQ > OQ$$

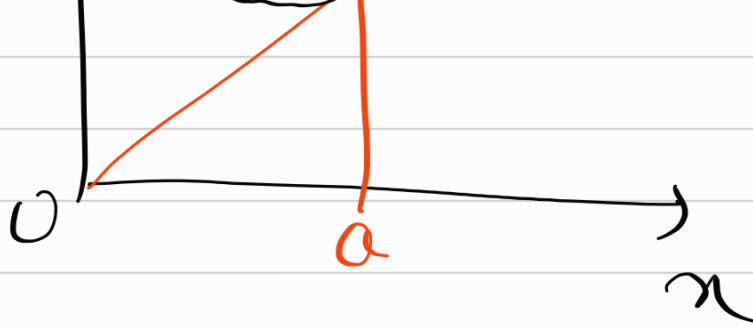
$$PES > 1$$

∴ elastic SS.



$$PES = \frac{OQ}{OQ}$$

$$= 1$$



\therefore Unitary elastic
SS

Factors affecting PES

- (i) Nature of commodity
 - Perishable \downarrow Perfectly inelastic
 - Durable \downarrow elastic
- (ii) Cost of Production
 - High \downarrow inelastic
 - Low \downarrow elastic
- (iii) Climate :- inelastic
- (iv) Technique of Production
 - Backward / Labour intensive \downarrow inelastic
 - Advanced / Capital intensive \downarrow elastic
- (v) Availability of factors
 - Easily \downarrow elastic
 - Scarce \downarrow inelastic
- (vi) Mobility of factors



Demand forecasting

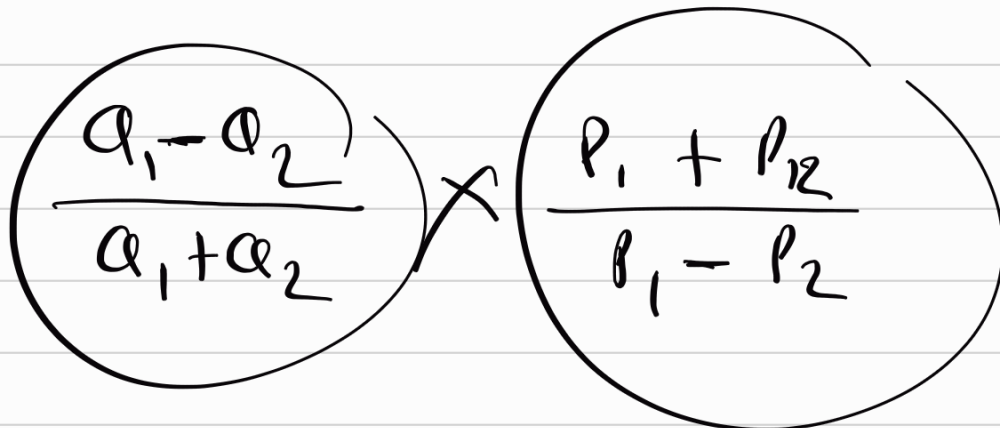
It refers to predicting demand of product in advance.

Methods of Demand forecasting

- (i) Consumer survey method.
 - (a) census / enumerator method
 - (b) sample method
 - (c) end-use method
- (ii) collective opinion method :- Survey of sales persons.
- (iii) Expert opinion method
- (iv) Delphi method :- experts are confronted.
 - intro by Adolf Helmer
 - Rand corp. of USA
- (v) Statistical method
 - (a) regression
 - (b) Trend Analysis etc
- (vi) Market experiment method
 - (a) Actual market experiment

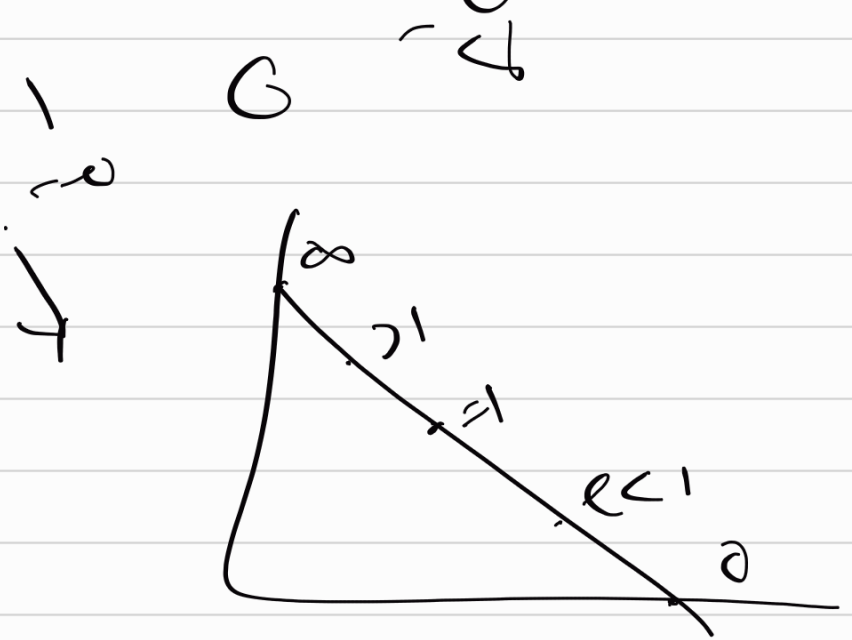
(b) Laboratory experiments (consumer clinics)

	<u>Perfect compⁿ</u>	<u>Monopoly</u>	<u>monopolistic comp^t</u>	<u>Oligopoly</u>
Reality	Unreal	Unreal	Real	Real
No. of Sellers	Many	Single	Many	Few
No. of Buyer	Many	Many	Many	Many
Product	Homog.	No close sub.	Differentiated	Hom/Diff
Entry & exit	Free	Restrict	Free	Restrict
Long Run Profit	Normal	Super Norm.	Normal	Super Norm
Price -	Taker	Maker	Seeker	cartel/ price-leadership
DD curve	Horizontal	DLW	DLW	Kinked
Elasticity	$e = \infty$	$e < 1$	$e > 1$	$P \uparrow = e > 1$ $P \downarrow = e < 1$
collectively	Industry	Firm & industry	Group	-
Price	Lowest	Highest	Lower	Higher
Qty	Highest	Lowest	Higher	Lower
Full use of Resources	✓	✗	✗	✗
efficient	✓	✗	✗	✗
Excess capacity	not found	found	<u>found</u>	found



> 1

< 1



$$P \uparrow = TR \downarrow = e < 1$$

$$P \downarrow = TR \downarrow = e = 1$$

$$P \downarrow = TR \uparrow = e > 1$$

