

Formula 1	Class Boundary	
	Mutually Exclusive Classification	UCB = UCL and LCB = LCL
	Mutually Inclusive Classification	UCB = UCL + 0.5 and LCB = LCL - 0.5
Formula 2	Mid-Point / Class Mark of Class Interval: $\frac{LCL + UCL}{2}$ or $\frac{LCB + UCB}{2}$	
Formula 3	Class Length / Width of Class / Size of Class: UCB – LCB	
Formula 4	Frequency Density of a Class: $\frac{\text{Frequency of the class}}{\text{Class length of the class}}$	
Formula 5	Relative Frequency: $\frac{\text{Frequency of the class}}{\text{Total Frequency of distribution}}$	
	Percentage Frequency: $\frac{\text{Frequency of the class}}{\text{Total Frequency of distribution}} \times 100$	
Formula 6	AM of Discrete Distribution/Series: $\bar{x} = \frac{x_1 + x_2 + x_3 + \dots + x_n}{n}$ in short $\bar{x} = \frac{\sum x}{n}$	
Formula 7	AM of Frequency Distribution: $\bar{x} = \frac{\sum fx}{N}$	
	In case of ungrouped distribution	x = individual value
	In case of grouped frequency distribution	x = mid-point of class interval
Formula 8	AM using assumed mean / step deviation method $\bar{x} = A + \frac{\sum fd}{N} \times C$ where $d = \frac{x - A}{C}$, A is assumed mean, C is class length	
Formula 9	The algebraic sum of deviations of a set of observations from their AM is zero $\sum(x - \bar{x}) = 0$	
Formula 10	Combined AM: $\bar{x}_c = \frac{n_1\bar{x}_1 + n_2\bar{x}_2}{n_1 + n_2}$	
Formula 11	Median in case of discrete distribution	
	If number of observations are odd	Median is middle term
	If number of observations are even	AM of two middle terms
Same formula is used for ungrouped frequency distribution		
Formula 12	Median in case of grouped frequency distribution	
	Step 1	Prepare a less than type cumulative frequency distribution
	Step 2	Calculate $\frac{N}{2}$ and check between which class boundaries it falls and call it as Median Class
	Step 3	Find l_1 (LCB of median class), N_u (cumulative frequency of median class), N_l (cumulative frequency of pre-median class), C (class length of median class)
	Step 4	Apply Formula $Me = l_1 + \left(\frac{\frac{N}{2} - N_l}{N_u - N_l} \right) \times C$

Formula 13	For a set of observations, the sum of absolute deviations is minimum, when the deviations are taken from the median. $\sum(x - \bar{x}) = 0$ is minimum						
Formula 14	Quartiles in case of discrete observations: <table border="1" style="width: 100%; text-align: center;"> <thead> <tr> <th>First Quartile</th> <th>Second Quartile</th> <th>Third Quartile</th> </tr> </thead> <tbody> <tr> <td>$Q_1 = \left((n+1) \times \frac{1}{4} \right)^{\text{th}}$ term</td> <td>$Q_2 = \left((n+1) \times \frac{2}{4} \right)^{\text{th}}$ term</td> <td>$Q_3 = \left((n+1) \times \frac{3}{4} \right)^{\text{th}}$ term</td> </tr> </tbody> </table> Note: above formula gives the term. Final value to be calculated based on the term	First Quartile	Second Quartile	Third Quartile	$Q_1 = \left((n+1) \times \frac{1}{4} \right)^{\text{th}}$ term	$Q_2 = \left((n+1) \times \frac{2}{4} \right)^{\text{th}}$ term	$Q_3 = \left((n+1) \times \frac{3}{4} \right)^{\text{th}}$ term
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Formula 20	Mode in case of discrete observation: observation repeating for maximum no. of times or observation with highest frequency Note: There can be multiple modes also. If all observations are having same frequency, then there is no mode.								
Formula 21	Mode in case of grouped frequency distribution: Find Modal Class (Class with highest frequency) then apply below formula $Mo = l_1 + \left(\frac{f_0 - f_{-1}}{2f_0 - f_{-1} - f_1} \right) \times C$ where, l_1 = LCB of modal class f_0 = frequency of modal class, f_{-1} = frequency of pre-modal class, f_1 = frequency of post modal class, C = class length of modal class								
Formula 22	Relationship between Mean, Median and Mode in case of Symmetrical Distribution: Mean = Median = Mode								
Formula 23	Relationship between Mean, Median and Mode in case of moderately skewed distribution: Mean – Mode = 3 (Mean – Median)								
Formula 24	Geometric Mean in case of discrete positive observations: $G = (x_1 \times x_2 \times \dots \times x_n)^{1/n}$								
Formula 25	Geometric Mean in case of frequency distribution: $G = (x_1^{f_1} \times x_2^{f_2} \times \dots \times x_n^{f_n})^{1/N}$								
Formula 26	Harmonic Mean in case of discrete observations: $H = \frac{n}{\sum(\frac{1}{x})}$								
Formula 27	Harmonic Mean in case of frequency distribution: $H = \frac{N}{\sum(\frac{f}{x})}$								
Formula 28	Combined HM = $\frac{n_1 + n_2}{\frac{n_1}{H_1} + \frac{n_2}{H_2}}$								
Formula 29	Relationship between AM, GM and HM <table border="1" style="width: 100%; border-collapse: collapse;"> <thead> <tr> <th style="width: 60%;">Situation</th> <th style="width: 40%;">Relationship</th> </tr> </thead> <tbody> <tr> <td>When all the observations are identical / same</td> <td>AM = GM = HM</td> </tr> <tr> <td>When all the observations are distinct / different</td> <td>AM > GM > HM</td> </tr> <tr> <td>In General</td> <td>AM ≥ GM ≥ HM</td> </tr> </tbody> </table>	Situation	Relationship	When all the observations are identical / same	AM = GM = HM	When all the observations are distinct / different	AM > GM > HM	In General	AM ≥ GM ≥ HM
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Formula 30	Range in case of discrete observations: L – S where L = Largest Observation, S = Smallest Observation								
Formula 31	Range in case of Grouped Frequency Distribution: L – S L = UCB of last class interval, S = LCB of first-class interval								
Formula 32	Coefficient of Range $\frac{L-S}{L+S} \times 100$								

Formula 33	Mean Deviation in case of discrete observations $MD_A = \frac{1}{n} \sum x - A $ where A is any appropriate central tendency (as given)
Formula 34	Mean Deviation (in case of grouped frequency distributions) $MD_A = \frac{1}{N} \sum f x - A $ where A is any appropriate central tendency (as given)
Formula 35	Coefficient of Mean Deviation: $\frac{\text{Mean Deviation about A}}{A} \times 100$
Formula 36	Standard Deviation in case of discrete observations: $\sigma_x = SD_x = \sqrt{\frac{\sum (x - \bar{x})^2}{n}}$ or shorter formula $\sigma_x = SD_x = \sqrt{\frac{\sum x^2}{n} - (\bar{x})^2}$
Formula 37	Standard Deviation in case of grouped frequency observations $\sigma_x = SD_x = \sqrt{\frac{\sum f(x - \bar{x})^2}{N}}$ or shorter formula $\sigma_x = SD_x = \sqrt{\frac{\sum fx^2}{N} - (\bar{x})^2}$
Formula 38	Coefficient of Variation: $\frac{SD_x}{\bar{x}} \times 100$
Formula 39	If there are only two observations, then SD is half of range $SD = \frac{ a - b }{2}$
Formula 40	Standard Deviation of first n natural numbers: $s = \sqrt{\frac{n^2 - 1}{12}}$
Formula 41	Combined SD: $SD_c = \sqrt{\frac{n_1 s_1^2 + n_2 s_2^2 + n_1 d_1^2 + n_2 d_2^2}{n_1 + n_2}}$ $d_1 = \bar{x}_c - \bar{x}_1$ and $d_2 = \bar{x}_c - \bar{x}_2$
Formula 42	If all the observations are constant, then SD/ MD/ Range is ZERO
Formula 43	Change of Origin and Scale: No effect of change of origin but affected by change of scale in the magnitude (ignore sign) $SD_y = b SD_x$ Note: same thing will apply to all the measures of dispersion
Formula 44	Quartile Deviation: $QD_x = \frac{Q_3 - Q_1}{2}$
Formula 45	Coefficient of Quartile Deviation: $\frac{Q_3 - Q_1}{Q_3 + Q_1} \times 100$
Formula 46	Relationship between SD, MD and QD $4SD = 5MD = 6QD$ or $SD : MD : QD = 15 : 12 : 10$
Formula 47	Basic Formula of Probability: $P(A) = \frac{\text{No. of favorable events to A}}{\text{Total no. of events}}$
Formula 48	Odds in favour of Event A: $\frac{\text{no. of favorable events}}{\text{no. of unfavorable events}}$
Formula 49	Odds against an Event A: $\frac{\text{no. of unfavorable events}}{\text{no. of favorable events}}$
Formula 50	Number of total outcomes of a random experiment: If an experiment results in p outcomes and if it is repeated q times, then

	Total number of outcomes is p^n						
Formula 51	Relative Frequency Probability $\frac{\text{no. of times the event occurred during experimental trials}}{\text{total no. of trials}} = \frac{f_A}{n}$						
Formula 52	Set Based Probability: $P(A) = \frac{\text{no. of sample points in } A}{\text{no. of sample points in } S} = \frac{n(A)}{n(S)}$ here A is Event Set and S is Sample Space						
Formula 53	Addition Theorem 1: In case of two mutually exclusive events A and B $P(A \cup B) = P(A+B) = P(A \text{ or } B) = P(A) + P(B)$						
Formula 54	Addition Theorem 2: In case of two or more mutually exclusive events $P(A_1 \cup A_2 \cup A_3 \cup \dots) = P(A_1) + P(A_2) + P(A_3) + \dots$						
Formula 55	Addition Theorem 3: For any two events $P(A \cup B) = P(A) + P(B) - P(A \cap B)$						
Formula 56	Addition Theorem 4: In case of any three events $P(A \cup B \cup C) = P(A) + P(B) + P(C) - P(A \cap B) - P(B \cap C) - P(A \cap C) + P(A \cap B \cap C)$						
Formula 57	Conditional Probability of Event B when Event A is already occurred $P(B/A) = \frac{P(B \cap A)}{P(A)}$ provided $P(A) \neq 0$						
Formula 58	Conditional Probability of Event A when Event B is already occurred $P(A/B) = \frac{P(B \cap A)}{P(B)}$ provided $P(B) \neq 0$						
Formula 59	Compound Theorem: In case of two dependent events $P(A \cap B) = P(B) \times P(A/B) \text{ or } P(A \cap B) = P(A) \times P(B/A)$						
Formula 60	Compound Theorem: In case of two independent events $P(A \cap B) = P(A) \times P(B)$						
Formula 61	Expected value of a Probability Distribution: $E(x) = \sum p_i x_i$ Also, $E(x) = \mu$ (here μ means mean of probability distribution)						
Formula 62	Variance of Probability Distribution: $V(x) = E(x - \mu)^2 = E(x^2) - [E(x)]^2$						
Formula 63	Probability Mass Function in case of Binomial Distribution: $f(x) = P(X=x) = {}^n C_x p^x q^{n-x}$						
Formula 64	Mean of Binomial Distribution: $\mu = np$ Variance of Binomial Distribution: $\sigma^2 = npq$						
Formula 65	Mode in case of Binomial Distribution: <table border="1" style="width: 100%; border-collapse: collapse;"> <tr> <td style="width: 20%;">Step 1</td> <td>Calculate $(n+1)p$</td> </tr> <tr> <td>Step 2A</td> <td>If $(n+1)p$ is an integer, there will be two modes: $\mu_0 = (n+1)p$ & $[(n+1)p - 1]$</td> </tr> <tr> <td>Step 2B</td> <td>If $(n+1)p$ is a non-integer, there will be only one mode: $\mu_0 =$ largest integer contained in $(n+1)p$</td> </tr> </table>	Step 1	Calculate $(n+1)p$	Step 2A	If $(n+1)p$ is an integer, there will be two modes: $\mu_0 = (n+1)p$ & $[(n+1)p - 1]$	Step 2B	If $(n+1)p$ is a non-integer, there will be only one mode: $\mu_0 =$ largest integer contained in $(n+1)p$
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Formula 66	Probability Mass Function in case of Poisson Distribution: $f(x) = P(X=x) = \frac{e^{-m} m^x}{x!}$						
Formula 67	Mean of Poisson Distribution: $\mu = m$						

	Variance of Poisson Distribution: $\sigma^2 = m$ SD of Poisson Distribution: $\sigma = \sqrt{m}$															
Formula 68	Mode in case of Poisson Distribution: <table border="1"> <tr> <td>If m is an integer</td> <td>there will be two modes: $\mu_0 = m$ & $m-1$</td> </tr> <tr> <td>If m is a non-integer</td> <td>there will be only one mode: largest integer contained in m</td> </tr> </table>	If m is an integer	there will be two modes: $\mu_0 = m$ & $m-1$	If m is a non-integer	there will be only one mode: largest integer contained in m											
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Formula 69	Probability Density Function in case of Normal Distribution $f(x) = \frac{1}{\sigma\sqrt{2\pi}} \cdot e^{-\left(\frac{x-\mu}{\sigma}\right)^2 \frac{1}{2}}$															
Formula 70	Mean Deviation in case of Normal Distribution: $MD = 0.8\sigma$															
Formula 71	Quartiles in case of Normal Distribution: $Q_1 = \mu - 0.675\sigma$ & $Q_3 = \mu + 0.675\sigma$															
Formula 72	Quartile Deviation in case of Normal Distribution: $QD = 0.675\sigma$															
Formula 73	Points of Inflex of Normal Curve: $\mu - \sigma$ & $\mu + \sigma$															
Formula 74	In case of Normal Distribution, Ratio between QD: MD: SD = 10:12:15															
Formula 75	Conditions of Standard Normal Distribution: Mean = 0, SD = 1															
Formula 76	Z Score: $Z = \frac{(x - \mu)}{\sigma}$															
Formula 77	Area under Normal Curve (Popular Intervals) <table border="1"> <thead> <tr> <th>From</th> <th>To</th> <th>Area under Normal Curve Probability</th> </tr> </thead> <tbody> <tr> <td>μ</td> <td>$\mu + \sigma$</td> <td>34.135%</td> </tr> <tr> <td>$\mu + \sigma$</td> <td>$\mu + 2\sigma$</td> <td>13.59%</td> </tr> <tr> <td>$\mu + 2\sigma$</td> <td>$\mu + 3\sigma$</td> <td>2.14%</td> </tr> <tr> <td>$\mu + 3\sigma$</td> <td>$+\infty$</td> <td>0.135%</td> </tr> </tbody> </table>	From	To	Area under Normal Curve Probability	μ	$\mu + \sigma$	34.135%	$\mu + \sigma$	$\mu + 2\sigma$	13.59%	$\mu + 2\sigma$	$\mu + 3\sigma$	2.14%	$\mu + 3\sigma$	$+\infty$	0.135%
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Formula 79	Karl Pearson's Product Moment Correlation Coefficient: $r_{xy} = \frac{\text{Cov}(x, y)}{(\sigma_x \times \sigma_y)}$															
Formula 80	Covariance between two variables: $\text{Cov}(x, y) = \frac{\sum(x - \bar{x})(y - \bar{y})}{n}$ or $\frac{\sum xy}{n} - \bar{x} \cdot \bar{y}$															
Formula 81	Spearman's Rank Correlation Coefficient: $r_r = 1 - \frac{6\sum d^2}{n(n^2 - 1)}$ here d means difference in ranks of both variables															
Formula 82	Spearman's Rank Correlation Coefficient (in case of tied values) $r_r = 1 - \frac{6(\sum d^2 + A)}{n(n^2 - 1)}$ here A is adjustment value $A = \frac{\sum(t^3 - t)}{12}$ where t = tie length (calculate t value for each of the ties)															
Formula 83	Coefficient of Concurrent Deviations															

	$r_c = \pm \sqrt{\pm \left(\frac{2c-m}{m} \right)}$ <p>where c is number of concurrent deviations (same direction) m is number of pairs compared (equals to n-1)</p>
Formula 84	Regression Coefficients: Y on X: $b_{yx} = r \cdot \frac{SD_y}{SD_x}$ or $b_{yx} = \frac{\text{cov}(x,y)}{(SD_x)^2}$ X on Y: $b_{xy} = r \cdot \frac{SD_x}{SD_y}$ or $b_{xy} = \frac{\text{cov}(x,y)}{(SD_y)^2}$
Formula 85	Correlation Coefficient is the GM of regression coefficients: $r_{xy} = \pm \sqrt{b_{xy} \times b_{yx}}$ Note: r_{xy} , b_{xy} , b_{yx} all will have same sign
Formula 86	Change of Origin/ Scale for Regression Coefficients: Origin no impact, Scale impact of both magnitude and sign. $b_{vu} = b_{yx} \times \frac{\text{change of scale of y}}{\text{change of scale of x}}$ $b_{uv} = b_{xy} \times \frac{\text{change of scale of x}}{\text{change of scale of y}}$
Formula 87	Two regression lines (if not identical) will intersect at the point (\bar{x}, \bar{y})
Formula 88	Coefficient of Determination/ Explained Variance/ Accounted Variance: $(r_{xy})^2$
Formula 89	Coefficient of Non-determination/ Un-explained Variance/ Un-accounted Variance: $1 - (r_{xy})^2$
Formula 90	Probable Error in correlation: $0.6745 \times \frac{1-r^2}{\sqrt{N}}$
Formula 91	Error Limits of Population Correlation Coefficient: $r \pm PE$
Formula 92	Price Relatives: $\frac{P_n}{P_0}$, Quantity Relatives: $\frac{Q_n}{Q_0}$, Value Relatives: $\frac{V_n}{V_0}$
Formula 93	Simple Aggregative Index: $\frac{\sum P_n}{\sum P_0} \times 100$
Formula 94	Simple Average of Relatives – Method Index: $\frac{\sum \frac{P_n}{P_0}}{n}$
Formula 95	Laspeyres Index (weight – base year quantity weight) $\frac{\sum P_n Q_0}{\sum P_0 Q_0} \times 100$
Formula 96	Paasche's Index (weight – current year quantity weight) $\frac{\sum P_n Q_n}{\sum P_0 Q_n} \times 100$
Formula 97	Marshall-Edgeworth Index (weight – sum of both current and base quantity)

	$\frac{\sum P_n (Q_0 + Q_n)}{\sum P_0 (Q_0 + Q_n)} \times 100$
Formula 98	<p>Fisher's Ideal Index: GM of Laspeyres Index and Paasche's Index</p> $\sqrt{\frac{\sum P_n Q_0}{\sum P_0 Q_0} \times \frac{\sum P_n Q_n}{\sum P_0 Q_n}} \times 100$
Formula 99	<p>Bowley's Index: AM of Laspeyres Index and Paasche's Index</p> $\frac{\frac{\sum P_n Q_0}{\sum P_0 Q_0} + \frac{\sum P_n Q_n}{\sum P_0 Q_n}}{2} \times 100$

About CA. Pranav Popat Sir

- He is a Chartered Accountant (Inter and Final Both Groups in First Attempt) with 5+ years of experience.
- He is an Educator by Passion and his Choice (Dil Se ❤️)
- He teaches subjects of Maths, LR and Stats (Paper 3) at CA Foundation Level and Cost & Management Accounting (Paper 3) at CA Intermediate Level.

Hope this formula book helps you in revising all formulas and become helpful to you during exam time, I made this with my whole heart, make best use of it and I just want one thing in return – share these notes to every student who really needs this.

Wishing you ALL THE BEST for upcoming examinations, see you soon in Inter Costing!!!

Rukenge Nahi!! Darenge Nahi!! Bas Fodenge !!

With Lots of Love

CA. Pranav Popat (P² SIR)