

INDEX NUMBERS

$$\text{Simple Aggregate} = \frac{\sum P_1}{\sum P_0} \times 100$$

$$\begin{aligned} \text{Simple Ag (AM) PR} &= \frac{\sum P}{n}, \left[P = \frac{P_1}{P_0} \times 100 \right] \\ \text{- (GM)} &= \text{Antilog} \left[\frac{\sum \log P}{n} \right] \end{aligned}$$

$$\text{Weighted Ag. Mthd} = \frac{\sum P_1 W}{\sum P_0 W} \times 100$$

$$\begin{aligned} \text{Wt. Avg. using (AM)} &= \frac{\sum P W}{\sum W} \left[P = \frac{P_1}{P_0} \times 100 \right] \\ \text{- using (GM)} &= \text{Antilog} \left[\frac{\sum \log P \times W}{\sum W} \right] \end{aligned}$$

$$\text{Laspeyres's} = \frac{\sum P_1 Q_0}{\sum P_0 Q_0} \times 100$$

$$\text{Passche's} = \frac{\sum P_1 Q_1}{\sum P_0 Q_1} \times 100$$

$$\text{Dobish \& Bowly} = \frac{L+P}{2}$$

$$\text{Fisher's Mthd} = \sqrt{L \times P}$$

$$\text{Marshall \& Edge} = \frac{\sum P_i (q_{i0} + q_{i1})}{\sum P_0 (q_{i0} + q_{i1})} \times 100$$

$$\text{Walsh} = \frac{\sum P_i \sqrt{q_{i0} \times q_{i1}}}{\sum P_0 \sqrt{q_{i0} \times q_{i1}}} \times 100$$

$$\text{Kelly's} = \frac{\sum P_i q}{\sum P_0 q} \times 100$$

TESTS: -

X
UT
 SAM

X
TRT
 SA-AM
 WA-AM
 LASP
 Paas
 P&B

✓
FRT
 Fisher

✓
CT
 SAM
 SA-AM
 Kelly.

COST OF living Index:

$$1. \text{Wgt Agt Exp} = \frac{\sum P_1 Q_0}{\sum P_0 Q_0} \times 100$$

$$2. \text{Family budget} = \frac{\sum IW}{\sum W}$$

DEFLATING:

1. Purchase power of money:

$$\frac{100}{\text{Consumer price Index}}$$

$$2. \text{Real wages} = \frac{\text{Nominal money wages}}{\text{Cost living}}$$

X 100

(0.91)

$$= \text{Nominal wages} \times \text{PPI.}$$

$$3. \text{Real wage Index} = \frac{\text{Current}}{\text{Base}} \times 100.$$

CHAIN BASE INDEX!

Fixed Base IN = $\frac{C Y I}{\text{Index of base year which has to shifted.}} \times 100$

Average Base IN = $\frac{C Y I}{\text{Average of two or more years}} \times 100$

Chain Base IN =

(i) Link Relative = $\frac{C Y I}{P Y I} \times 100$

(ii) C. B. I = $\frac{\text{LR of CY} \times \text{CBI of PY}}{100}$

SPLICING!

Forward = Number $\times \frac{\text{Base (New)}}{100}$

Backward = Number $\times \frac{100}{\text{Base (Old)}}$